

UTRJEVANJE 2-REŠITVE

IZRAZI S SPREMENLJIVKAMI

$$1.) a) x \cdot x \cdot x = x^3$$

$$b.) x + x + x = 3x$$

$$c.) 4x \cdot (-2x) = -8x^2$$

$$d.) 4x + 4x = 8x$$

$$2.) a) -2xy + 4xy - 7xy = -5xy$$

$$b.) 3a^2b - 6a^2b + 7a^2b = 4a^2b$$

$$c.) 5x^2 - 10x - 9x^2 = -4x^2 - 10x$$

$$3.) a) 2(y+t) = 2y + 2t$$

$$b.) -3a(4a - 7b) = -12a^2 + 21ab$$

$$c.) -2x^2y(-5x - 3xy^4 + 7) = +10x^3y + 6x^3y^5 - 14x^2y$$

$$d.) (a-4)(a+5) = a^2 + 5a - 4a - 20 = a^2 + a - 20$$

$$e.) (3a - 4b)(-b + 5a) = -3ab + 12a^2 + 4b^2 - 20ab = 12a^2 - 23ab + 4b^2$$

$$4.) a) 8a + 8b = 8(a+b)$$

$$b.) 5ab - a = a(5b - 1)$$

$$c.) 12x^2y + 9y - 3xy^2 = 3y(4x^2 + 3 - xy)$$

VEČKOTNIKI

$$1.) n - 3 = 10 - 3 = 7 \text{ diagonal}$$

$$2.) \frac{n \cdot (n-3)}{2} = \frac{10 \cdot 7}{2} = 35 \text{ diagonal}$$

$$3.) (n-2) \cdot 180^\circ = (9-2) \cdot 180^\circ = 7 \cdot 180^\circ = 1260^\circ \rightarrow \text{vsota notranjih kotov}$$

$$360^\circ \rightarrow \text{vsota zunanjih kotov}$$

$$4.) 5\text{-kotnik}$$

$$\beta = 180^\circ - 81^\circ$$

$$\beta = \underline{99^\circ}$$

vsota notranjih kotov

$$\text{v 5-kotniku: } (n-2) \cdot 180^\circ =$$

$$= 180^\circ \cdot 3 = \underline{540^\circ}$$

$$127^\circ$$

$$+ 98^\circ$$

$$99^\circ$$

$$+ 125^\circ$$

$$499^\circ$$

$$540^\circ$$

$$- 449^\circ$$

$$\underline{91^\circ}$$

$$\text{kot } \beta = \underline{91^\circ}$$

5.) a) 7-kotnik

b.) 4 diagonal

c) $\frac{(n-3) \cdot n}{2} = \frac{7 \cdot 4 \cdot 2}{2} = 14$ diagonal

d.) $180^\circ - 63^\circ = \underline{\underline{117^\circ}}$

e.) $(n-2) \cdot 180^\circ = (7-2) \cdot 180^\circ = 5 \cdot 180^\circ = \underline{\underline{900^\circ}}$

f.) 360°

6.) $n-3=25$ 28-kotnik
 $\underline{\underline{n=28}}$

8.) $(n-2) \cdot 180^\circ = 3240^\circ /: 180^\circ$

$n-2 = 18$

$\underline{\underline{n=20}}$

20-kotnik

središnji kot: $\frac{360^\circ}{20^\circ} = \underline{\underline{12^\circ}}$

7.) $\frac{n \cdot (n-3)}{2} = 54 / \cdot 2$

$n \cdot (n-3) = 108$

| n | n-3 | n \cdot (n-3) |
|-----------|-----|-------------------------|
| 15 | 12 | 15 \cdot 12 = 180 |
| <u>12</u> | 9 | 12 \cdot 9 = <u>108</u> |

12-kotnik

PREMO IN OBRATNO SORAZMERJE

1) vseh učencev 360

- astronomski krožek : 18

- športne dejavnosti : 72

- pevski zbor : 9

- MHE : 36

SKUPAJ : 135 učencev

a.) $\frac{360^\circ}{-135}$
225 učencev

0: 225 učencev ne obstaja nobenega krožka

$360^\circ \cdot 100\%$

$225 \dots x\%$

$x = \frac{225 \cdot 100 \cdot 25 \cdot 5}{360 \cdot 4 \cdot 2}$

$x = \frac{125}{2} = \underline{\underline{62,5\%}}$

0: 62,5% učencev ne obstaja nobene dejavnosti.

1b.) 360 učencav ... 100%
 :20 18 uč. ... x%
 $x = 5\%$ astronomski krožek

360 uč. ... 100%
 :5 72 uč. ... x%
 $x = 20\%$
 ↓
 športne dejavnosti

360 uč. ... 100%
 :2 18 uč. ... 5%
 :2 9 uč. ... 2,5% → pevski zbor
 :2 36 uč. ... 10% → HME

O: Astronomski krožek obiskuje 5% učencav, športne dejavnosti 20% učencav, pevski zbor 2,5% učencav in multimedija 10% učencav.

2.) a) 18 dni ... 6h
 :2 9 dni ... 12h D.S.

O: Pevajati bi morala 12h na dan.

18 dni ... 6h
 :2 x ... 4h D.S.
 $x = \frac{18 \cdot 6 \cdot 3 \cdot 9}{4 \cdot 2}$
 $x = 27$ dni

O: Če bi pevajala 4h na dan, bi potrebovala 27 dni, da prevede knjigo.

3.) a) 21 delavav ... 24h
 :3 x ... 36h O.S.

$x = \frac{21 \cdot 24 \cdot 2 \cdot 7}{3 \cdot 3}$
 $x = 14$ delavav

O: 14 delavav

b) 21 delavav ... 24h
 8 delavav ... xh
 $x = \frac{21 \cdot 24 \cdot 3}{8 \cdot 1}$
 $x = 63$ h
 O: 63h

4.) 8 vrtnarjev ... 17 dni

8 vrtnarjev ... 5 dni

x vrtnarjev ... 6 dni

$$6x + 8 \cdot 5 = 8 \cdot 17$$

$$6 \cdot x + 40 = 136$$

$$6 \cdot x = 136 - 40$$

$$6x = 96$$

$$x = 16 \text{ vrtnarjev}$$

Ø: Prišlo je še 8 vrtnarjev.

KROG

1.) d = 98 cm
Ø =

$$\begin{aligned} \sigma &= d \cdot \pi \\ &= 98 \cdot 3,14 \\ &= \underline{\underline{301,44 \text{ cm}}} \end{aligned}$$

$$301,44 \cdot 100 = 30144 \text{ cm} = \underline{\underline{301,44 \text{ m}}}$$

2.) p = 28,26 cm²
r =
Ø =

$$\begin{aligned} p &= \pi r^2 \\ r &= \sqrt{\frac{p}{\pi}} \\ r &= \frac{\sqrt{28,26}}{3,14} \\ r &= \sqrt{9} \\ r &= \underline{\underline{3 \text{ cm}}} \end{aligned}$$

$$\begin{aligned} \sigma &= 2\pi r \\ \sigma &= 2 \cdot 3,14 \cdot 3 \\ \sigma &= 6 \cdot 3,14 \\ \sigma &= \underline{\underline{18,84 \text{ cm}}} \end{aligned}$$

3.) r = 7 cm
∠ = 135°
Ø =

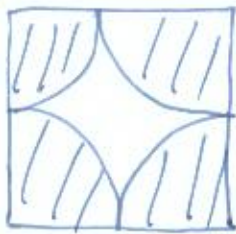
$$l = \frac{\angle \cdot 2\pi r}{360^\circ}$$

$$l = \frac{135^\circ \cdot 2 \cdot \pi \cdot 7}{360^\circ \cdot 8 \cdot 4}$$

$$l = \frac{21\pi}{4} = \frac{21 \cdot 3,14}{4} = \frac{65,94}{4} = 16,485$$

$$\sigma = 2r + l = 14 + 16,485 = \underline{\underline{30,485 \text{ cm}}}$$

4.) a.)



9 dm

$$r = 4,5 \text{ dm}$$

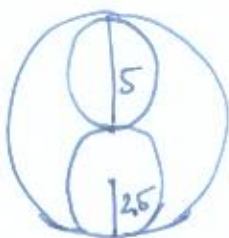
$$\sigma_k = 2\pi r = 9 \cdot 3,14 = 28,26 \text{ dm}$$

$$p_k = \pi r^2 = \pi \cdot 4,5^2 = 20,25\pi = 63,585 \text{ dm}^2$$

$$O = 4 \cdot 9 + \sigma_k = 36 + 28,26 = \underline{\underline{64,26 \text{ dm}}}$$

$$p = p_k = \underline{\underline{63,585 \text{ dm}^2}}$$

b.)



$$r_1 = 2,5 \text{ dm}$$

$$\sigma_1 = 2\pi r_1 = 5\pi = 15,7 \text{ dm}$$

$$p_1 = \pi r_1^2 = 6,25\pi = 19,625 \text{ dm}^2$$

$$r_2 = 5 \text{ dm}$$

$$\sigma_2 = 2\pi r_2 = 10\pi = 31,4 \text{ dm}$$

$$p_2 = \pi r_2^2 = 25\pi = 78,5 \text{ dm}^2$$

$$O = 2 \cdot \sigma_1 + \sigma_2 = 2 \cdot 5\pi + 10\pi = 10\pi + 10\pi = 20\pi \text{ dm}$$

ali

$$= 2 \cdot 15,7 + 31,4 = 31,4 + 31,4 = \underline{\underline{62,8 \text{ dm}}}$$

$$p = p_2 - 2 \cdot p_1 = 25\pi - 2 \cdot 6,25\pi = 25\pi - 12,5\pi = 12,5\pi \text{ dm}^2$$

ali

$$= 78,5 - 2 \cdot 19,625 = 78,5 - 39,25 = \underline{\underline{39,25 \text{ dm}^2}}$$